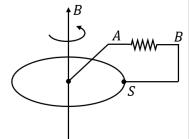
CSIR-NET, GATE, ALL SET, JEST, IIT-JAM, BARC

Contact: 8830156303 | 7741947669

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PART-B

1. A horizontal metal disc rotates about the vertical axis in a uniform magnetic field pointing up as shown in the figure. A circuit is made by connecting one end A of a resistor to the centre of the disc and the other end B to its edge through a sliding contact S. The current that flows through the resistor is



(a) zero

- (b) DC from A to B
- (c) DC from B to A
- (d) AC
- **2.** A spin $-\frac{1}{2}$ particle is in the state $\chi = \frac{1}{\sqrt{11}} {1+i \choose 3}$ in the eigenbasis of S^2 and S_x . If we measure S_z the probabilities of getting $+\frac{\hbar}{2}$ and $-\frac{\hbar}{2}$, respectively, are

- (a) $\frac{1}{2}$ and $\frac{1}{2}$ (b) $\frac{2}{11}$ and $\frac{9}{11}$ (c) 0 and 1 (d) $\frac{1}{11}$ and $\frac{3}{11}$
- **3.** Which of the following functions cannot be the real part of a complex analytic function of z = x + iy? (a) $\cdot x^2y$ (b) $x^2 - y^2$ (c) $x^3 - 3xy^2$ (d) $3x^2y - y - y^3$

- **4.** The motion of a particle of mass *m* in one dimension is described by the Hamiltonian

- $H = \frac{p^2}{2m} + \frac{1}{2}m\omega^2x^2 + \lambda x$. What is the difference between the (quantized) encrgies of the first two levels? (In the following, $\langle x \rangle$ is the expectation value of x in the ground state)
- (a) $\hbar\omega \lambda\langle x\rangle$
- (b) $\hbar\omega + \lambda\langle x\rangle$ (d) $\hbar\omega$
- (c) $\hbar\omega + \frac{\lambda^2}{2m\omega^2}$
- Let $\psi_{
 m mim}$ denote the eigenfunctions of a Hamiltonian for a spherically symmetric potential V(r). The expectation value of L_z in the state $\psi = \frac{1}{6} \left[\psi_{200} + \sqrt{5} \psi_{210} + \right]$ $\sqrt{10}\psi_{21-1} + \sqrt{20}\psi_{211}$] is

$$(a) - \frac{5}{18}\hbar$$
 $(c) \hbar$

- **6.** Three identical spin $-\frac{1}{2}$ fermions are to be distributed in two non-degenerate distinct energy levels. The number of ways this can be done is
 - (a) 8

(b) 4

(c)3

- (d) 2
- 7. Let A, B and C be functions of phase space variables (coordinates and momenta of a mechanical system). If
 - }representsthePoissonbracket, thevalueof {A,|{B,C} $\{\{A, B\}, C\}$ is given by
 - (a) 0

- (b) $\{B, \{C, A\}\}$
- (c) $\{A, \{C, B\}\}$
- (d) $\{\{C, A\}, B\}$

- **8.** If A, B and C are non-zero Hermitian operators, which of the following relations must be false?
 - (a) [A, B] = C
- (b) AB + BA = C
- (c) ABA = C
- (d) A + B = C
- **9.** The expression

$$\left(\frac{\partial^2}{\partial x_1^2} + \frac{\partial^2}{\partial x_2^2} + \frac{\partial^2}{\partial x_3^2} + \frac{\partial^2}{\partial x_4^2}\right) + \frac{\partial^2}{\partial x_4^2} \left(\frac{1}{(x_1^2 + x_2^2 + x_3^2 + x_4^2)}\right)$$

is proportional to

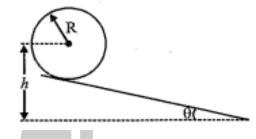
- (a) $\delta(x_1 + x_2 + x_3 + x_4)$
- (b) $\delta(x_1)\delta(x_2)\delta(x_3)\delta(x_4)$
- (c) $(x_1^2 + x_2^2 + x_3^2 + x_4^2)^{-3/2}$ (d) $(x_1^2 + x_2^2 + x_3^2 + x_4^2)^{-2}$
- **10.** Given that the integral $\int_0^\infty \frac{dx}{y^2 + x^2} = \frac{\pi}{2y}$, the value of $\int_0^\infty \frac{dx}{(y^2+x^2)^2}$ is

 $(a) \frac{\pi}{y^3}$ $(c) \frac{\pi}{8y^3}$

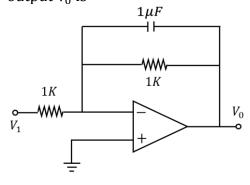
- 11. The force between two long and parallel wires carrying currents I₁ and I₂ and separated by a distance D is proportional to
 - (a) I_1I_2/D
- (b) $(I_1 + I_2)/D$ (d) I_1I_2/D^2
- (c) $(I_1I_2/D)^2$
- 12. A loaded dice has the probabilities $\frac{1}{21}$, $\frac{2}{21}$, $\frac{3}{21}$, $\frac{4}{21}$, $\frac{5}{21}$ and $\frac{6}{21}$ of turning up 1,2,3,4,5 and 6, respectively. If it is thrown twice, what is the probability that the sum of the numbers that turn up is even?
 - (a) $\frac{144}{441}$ (c) $\frac{221}{441}$

- **13.** A particle moves in a potential $V = x^2 + y^2 +$ $\frac{z^2}{2}$. Which component (s) of the angular momentum is / are constant (s) of motion? (a) none
 - (b) L_x , L_v and L_z
 - (c) only L_x and L_v (d) only L_z

- **14.** The Hamiltonian of a relativistic particle of rest mass *m* and momentum *p* is given by $H = \sqrt{p^2 + m^2} + V(x)$, in units in which the speed of light c = 1. The corresponding Lagrangian is
 - (a) $L = m\sqrt{1 + \dot{x}^2} V(x)$
 - (b) $L = -m\sqrt{1 \dot{x}^2} V(x)$
 - (c) $L = \sqrt{1 + mx^2} V(x)$
 - (d) $L = \frac{1}{2}m\dot{x}^2 V(x)$
- **15.** A ring of mass *m* and radius *R* rolls (without slipping) down an inclined plane starting from rest. If the centre of the ring is initially at a height h, the angular velocity when the ring reaches the base is



- (a) $\sqrt{g/(h-R)}$ tan θ
- (b) $\sqrt{g/(h-R)}$
- (c) $\sqrt{g(h-R)/R^2}$
- (d) $\sqrt{2g/(h-R)}$
- **16.** Consider the op-amp circuit shown in the figure.
 - If the input is a sinusoidal wave V_i = $5\sin(1000t)$, then the amplitude of the output V_0 is



(b) 5

(d) $5\sqrt{2}$

- **17.** If one of the inputs of a J-K flip flop is high and the other is low, then the outputs Q and
 - (a) oscillate between low and high in racearound condition
 - (b) toggle and the circuit acts like a T flip flop
 - (c) are opposite to the inputs
 - (d) follow the inputs and the circuit acts tike an R-S flip flop
- **18.** Two monochromatic sources, L_1 , and L_2 , emit light at 600 and 700 nm, respectively. If their frequency bandwidths are 10^{-1} and 10^{-3} GHz, respectively, then the ratio of linewidth of L₁ and L₂ is approximately
 - (a) 100:1
- (b) 1:85

(c) 75:1

- (d) 1:75
- **19.** Let (V, A) and (V', A') denote two sets of scalar and vector potentials, and ψ a scalar function. Which of the following transformations leave the electric and magnetic fields (and hence Maxwell's equations) unchanged?

 - (a) $A' = A + \nabla \psi$ and $V = V \frac{\partial \psi}{\partial t}$ (b) $A' = A \nabla \psi$ and $V' = V + 2\frac{\partial \psi}{\partial t}$ (c) $A' = A + \nabla \psi$ and $V' = V + \frac{\partial \psi}{\partial t}$
 - (d) $A' = A 2\nabla \psi$ and $V' = V \frac{\partial \psi}{\partial t}$
- 20. Consider the melting transition of ice into water at constant pressure. Which of the following thermodynamic quantities does not exhibit a discontinuous change across the phase transition?
 - (a) internal energy
 - (b) Helmholtz free energy
 - (c) Gibbs free energy
 - (d) entropy
- **21.** Two different thermodynamic systems are described by the following equations of state:

$$\frac{1}{T^{(1)}} = \frac{3RN^{(1)}}{2U^{(1)}}$$
 and $\frac{1}{T^{(2)}} = \frac{5RN^{(2)}}{2U^{(2)}}$ where $T^{(1,2)}$, $N^{(1,2)}$ and $U^{(1,2)}$ are respectively, the

temperatures; the mole numbers and the internal energies of the two systems, and *R* is the gas constant. Let $U_{\rm sat}$ denote the total energy when these two systems are put in contact and attain thermal equilibrium. The

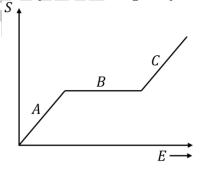
ratio
$$\frac{U^{(1)}}{U_{\text{tot}}}$$
 is

(a) $\frac{5N^{(2)}}{3N^{(1)}+5N^{(2)}}$

(c) $\frac{N^{(1)}}{N^{(1)}+N^{(2)}}$

- (b) $\frac{3N^{(1)}}{3N^{(1)}+5N^{(2)}}$ (d) $\frac{N^{(2)}}{N^{(1)}+N^{(2)}}$

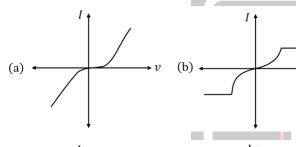
- **22.** The speed v of the molecules of mass m of an ideal gas obeys Maxwell's velocity distribution law at an equilibrium temperature T. Let (v_x, v_y, v_z) denote the components of the velocity and k_B the Boltzmann constant. The average value of $(\alpha v_x - \beta v_y)^2$, where α and β are constants,
 - (a) $(\alpha^2 \beta^2)k_\beta T/m$
 - (b) $(\alpha^2 + \beta^2)k_BT/m$
 - (c) $(\alpha + \beta)^2 \cdot k_B T/m$
 - (d) $(\alpha \beta)^2 k_B T/m$
- **23.** The entropy S of a thermodynamic system as a function of energy E is given by the following graph The temperatures of the phases A, B and C, denoted by $T_A \times T_B$ and T_C , respectively, satisfy the following inequalities:



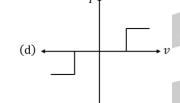
- (a) $T_C > T_B > T_A$ (b) $T_A > T_C > T_B$ (c) $T_B > T_C > T_A$ (d) $T_B > T_A > T_C$

- **24.** The physical phenomenon that cannot be used for memory storage applications is

- (a) large variation in magnetoresistance as a function of applied magnetic field
- (b) variation in magnetization of a ferromagnet as a function of applied magnetic field
- (c) variation in polarization of a ferroelectric as a function of applied electric field
- (d) variation in resistance of a metal as a function of applied electric field
- 25. Two identical Zener diodes are placed back to back in series and are connected to a variable DC power supply. The best representation of the I-V characteristics of the circuit is







Part-C

26. A pendulum consists of a ring of mass M and radius R suspended by a massless rigid rod of length *l* attached to its rim. When the pendulum oscillates in the plane of the ring, the time period of oscillation is

(a)
$$2\pi\sqrt{\frac{l+R}{g}}$$

(b)
$$\frac{\sqrt{g}}{\sqrt{g}} (l^2 + R^2)^{1/4}$$

(c)
$$2\pi \sqrt{\frac{2R^2 + 2Rl + l^2}{g(R+l)}}$$

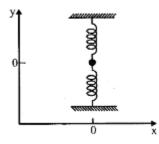
(d)
$$\frac{2\pi}{\sqrt{g}} (2R^2 + 2Rl + l^2)^{1/4}$$

- **27.** Spherical particles of a given material of density *p* are released from rest inside a liquid medium of lower density. The viscous drag force may be approximated by the Stoke's law, i,e, $F_1 = 6\pi\eta Rv$, where η is the viscosity of the medium, R the radius of a particle and v its itstantaneous velocity. If $\tau(m)$ is the time taken by a particle of mass m to reach half its terminal velocity, then the ratio $\tau(8m)/\tau(m)$ is
 - (a) 8

(b) 1/8

(c)4

- (d) 1/4
- 28. A system of N classical non-interacting particles, each of mass m, is at n temperature T and is confined by the external potential $V(r) = \frac{1}{2}Ar^2$ (where A is a constant) in three dimensions. The internal energy of the system is
 - (a) $3Nk_BT$
- (b) $\frac{3}{2}Nk_{\bar{B}}T$
- (a) $3Nk_BT$ (b) $\frac{3}{2}Nk_{\bar{B}}T$ (c) $N(2mA)^{3/2}k_nT$ (d) $N\sqrt{\frac{A}{m}}\ln\left(\frac{k_nT}{m}\right)$
- **29.** Consider a particle of mass *m* attached to two identical springs each of length / and spring constant k (see the figure below). The equilibrium configuration is the one where the springs are unstretched. There are no other external forces on the system. If the particle is given a small displacement along the x-axis, which of the following describes the equation of motion for small oscillations?



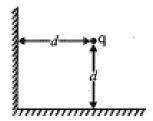
- (a) $m\ddot{x} + \frac{kx^3}{l^2} = 0$ (b) $m\ddot{x} + kx = 0$ (c) $m\ddot{x} + 2kx = 0$ (d) $m\ddot{x} + \frac{kx^2}{l} = 0$

- **30.** If $\psi(x) = A \exp(-x^4)$ is the eigenfunction of a one dimensional Hamiltonian with eigenvalue E = 0, the potential V(x) (in units where $\hbar = 2m = 1$) is

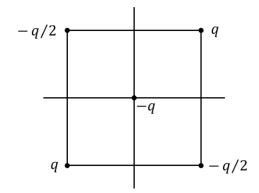
- (a) $12x^2$ (c) $16x^6 + 12x^2$
- (b) $16x^6$ (d) $16x^6 12x^2$
- **31.** The electric field of an electromagnetic wave is given by $\vec{E} = E_0 \cos [\pi (0.3x + 0.4y - 0.4y -$ (1000t)] \hat{k} . The associated magnetic field \vec{B} is
 - (a) $10^{-3}E_0\cos\left[\pi(0.3x+0.4y-1000t)\right]\hat{k}$
 - $1000t)(4\hat{i} - 3\hat{j})$
 - (c) $E_0 \cos \left[\pi (0.3x + 0.4y 1000t)\right](0.3\hat{\imath} +$ $0.4\hat{i}$
 - (d) $10^2 E_0 \cos \left[\pi (0.3x + 0.4y 1000t)\right] (3\hat{\imath} +$ 4ĵ)
- 32. The energy of an electron in a band as a function of its wave vector k is given by $E(k) = E_0 - B(\cos k_x a + \cos k_y a +$ $\cos k_z a$), where E_0 , B and a are constants. The effective mass of the electron near the bottom of the band is
 - (a) $\frac{2\hbar^2}{3Ba^2}$ (c) $\frac{\hbar^2}{2Ba^2}$

- **33.** A DC voltage V is applied across a Josephson junction between two superconductors with a phase difference ϕ_0 . If I_0 and k are constants that depend on the properties of the junction, the current flowing through it has the form
 - (a) $I_0 \sin \left(\frac{2eVt}{\hbar} + \phi_0\right)$
 - (b) $kV \sin \left(\frac{2eVt}{\hbar} + \phi_0\right)$
 - (c) $kV \sin \phi_0$
 - (d) $I_0 \sin \phi_0 + kV$
- **34.** Consider the following ratios of the partial decay widths $R_1 = \frac{\Gamma(\rho^+ \to \pi^+ + \pi^0)}{\Gamma(\rho^- \to \pi^- + \pi^0)}$ and $R_2 =$ $\frac{\Gamma(\Delta^{++}\to\pi^{+}+p)}{\Gamma(\Delta^{-}\to\pi^{-}+n)}$. If the effects of electromagnetic and weak interactions are neglected, then R₁ and R₂ are, respectively,
 - (a) 1 and $\sqrt{2}$
- (b) 1 and 2
- (c) 2 and 1
- (d) 1 and 1

- **35.** The intrinsic electric dipole moment of a nucleus ^AX
 - (a) increases with Z, but independent of A
 - (c) is always zero
 - (b) decreases with Z, but independent of A
 - (d) increases with Z and A
- **36.** According to the shell model, the total angular momentum (in units of \hbar) and the parity of the ground state of the ⁷₃Li nucleus
 - (a) $\frac{3}{2}$ with negative parity
 - (b) $\frac{3}{2}$ with positive parity
 - (c) $\frac{1}{2}$ with positive parity
 - (d) $\frac{7}{2}$ with negative parity
- **37.** A point charge q is placed symmetrically at a distance d from two perpendicularly placed grounded conducting infinite plates as shown in the figure. The net force on the charge (in units of $1/4\pi\epsilon_0$) is



- (a) $\frac{q^2}{8d^2}(2\sqrt{2}-1)$ away from the corner
- (b) $\frac{q^2}{8d^2}(2\sqrt{2}-1)$ towards the corner
- (c) $\frac{q^2}{2\sqrt{2}d^2}$ towards the corner
- (d) $\frac{3q^2}{8d^2}$ away from the corner
- **38.** Let four point charges q, -q/2, q and -q/2be placed at the vertices of a square of side a. Let another point charge -q be placed at the centre of the square (see the figure). Let V(r) be the electrostatic potential at a point P at a distance $r \gg a$ from the centre of the square. Then V(2r)/V(r) is



(a) 1

 $(c)^{\frac{1}{4}}$

- **39.** Let A and B be two vectors in threedimensional Euclidean space. Under rotation, the tensor product $T_{iq} = A_i B_i$
 - (a) reduces to a direct sum of three 3dimensional representations
 - (b) is an irreducible 9-dimensional representation
 - (c) reduces to a direct sum of a 1dimensional, a 3-dimensional and a 5dimensional irreducible representations (d) reduces to a direct sum of a 1dimensional and an 8-dimensional irreducible representation
- **40.** Fourier transform of the derivative of the Dirac δ -function, namely $\delta'(x)$, is proportional to
 - (a) 0

(b) 1

(c) sink

- (d) ik
- **41.** A particle is in the ground state of an infinite square well potential given by,

$$V(x) = \begin{cases} 0 & \text{for } -a \le x \le a \\ \infty & \text{otherwise} \end{cases}$$

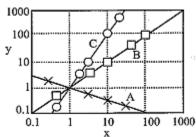
The probability to find the particle in the interval between $-\frac{a}{2}$ and $\frac{a}{2}$ is

- (a) $\frac{1}{2}$ (c) $\frac{1}{2} \frac{1}{\pi}$

- **42.** The expectation value of the x-component of the orbital angular momentum L_x in the state $\psi = \frac{1}{5} \left[3\psi_{2,1,-1} + \sqrt{5}\psi_{2,1,0} - \sqrt{11}\psi_{2,1,+1} \right]$ (where ψ_{ntm} are the eigenfunctions in usual
 - (a) $-\frac{\hbar\sqrt{10}}{25}(\sqrt{11}-3)$ (b) 0 (c) $\frac{\hbar\sqrt{10}}{25}(\sqrt{11}+3)$ (d) $\hbar\sqrt{2}$
- **43.** A particle is prepared in a simultaneous eigenstate of L^2 and L_{z^2} . If $\ell(\ell+1)\hbar^2$ and $m\hbar$ are respectively the eigenvalues of L^2 and L_z , then the expectation value $\langle L_x^2 \rangle$ of the particle in this state satisfies
 - (a) $\langle L_x^2 \rangle = 0$
 - (b) $0 \le \langle L_{\chi}^2 \rangle \le \ell^2 \hbar^2$
 - (c) $0 \le \langle L_x^2 \rangle \le \frac{\ell(\ell+1)\hbar^2}{2}$
 - $(d) \frac{\ell h^2}{2} \le \langle L_{\chi}^2 \rangle \le \frac{\ell(\ell+1)\hbar^2}{2}$
- **44.** If the electrostatic potential $V(r, \theta, \phi)$ in a charge free region has the form $V(r, \theta, \phi) =$ $f(r)\cos\theta$, then the functional form of f(r)(in the following a and b are constants) is
 - (a) $ar^2 + \frac{b}{r}$ (b) $ar + \frac{b}{r^2}$ (c) $ar + \frac{b}{r}$ (d) $a\ln\left(\frac{r}{b}\right)$

- **45.** If $\mathbf{A} = \hat{\imath}yz + \hat{\jmath}xz + \hat{k}xy$, then the integral $\oint Adl$ (where C is along the perimeter of a rectangular area bounded by x = 0, x = aand y = 0, y = b) is
 - (a) $\frac{1}{2}(a^3 + b^3)$ (b) $\pi(ab^2 + a^2b)$ (c) $\pi(a^3 + b^3)$ (d) 0
 - (c) $\pi(a^3 + b^3)$
- **46.** Consider an $n \times n(n > 1)$ matrix A_a in which A_{ij} is the product of the indices i and j(namely $A_{ij} = ij$). The matrix A
 - (a) has one degenerate eigenvalue with degeneracy (n-1)
 - (b) has two degenerate eigenvalues with degeneracies 2 and (n-2)
 - (c) has one degenerate eigenvalue with degeneracy n
 - (d) does not have any degenerate eigenvalue

- **47.** A child makes a random walk on a square lattice of lattice constant a taking a step in the north, east, south, or west directions with probabilities 0.255,0.255,0.245, and 0.245, respectively. After a large number of steps, N, the expected position of the child with respect to the starting point is at a distance
 - (a) $\sqrt{2} \times 10^{-2}$ Na in the north-cast direction
 - (b) $\sqrt{2N} \times 10^{-2} a$ in the north-east direction
 - (c) $2\sqrt{2} \times 10^{-2}$ Na in the south-east direction (d) 0
- **48.** A Carnot cycle operates as a heat engine between two bodies of equal heat capacity until their temperatures become equal. If the initial temperatures of the bodies are T_1 and T_2 , respectively, and $T_1 > T_2$ then their common final temperature is
 - (a) T_1^2/T_2
- (b) T_2^2/T_1
- (c) $\sqrt{T_1T_2}$
- (d) $\frac{1}{2}(T_1 + T_2)$
- **49.** Three sets of data A, B and C from an experiment, represented by \times , \square and O, are plotted on a log-log scale. Each of these are fitted with straight lines as shown in the figure.



The functional dependence y(x) for the sets A, B and C are, respectively

- (a) \sqrt{x} , x and x^2 (b) $-\frac{x}{2}$, x and 2x(c) $\frac{1}{x^2}$, x and x^2 (d) $\frac{1}{\sqrt{x}}$, x and x^2
- **50.** A sample of Si has electron and hole mobilities of 0.13 and 0.05 $m^2/V - s$ respectively at 300 K. It is doped with P and Al with doping densities of $1.5 \times 10^{21}/\text{m}^3$ and 2.5×10^{21} /m³ respectively. The

conductivity of the doped Si sample at 300 K

- (a) $8\Omega^{-1}m^{-1}$
- (b) $32\Omega^{-1}m^{-1}$
- (c) $20.8\Omega^{-1}m^{-1}$
- (d) $83.2\Omega^{-1}m^{-1}$
- **51.** A 4-variable switching function is given by $f = \Sigma(5,7,8,10,13,15) + d(0,1,2)$, where d is the donot-care-condition. The minimized form of *f* in sum of products (SOP) form is
 - (a) $\bar{A}\bar{C} + \bar{B}\bar{D}$
- (b) $A\bar{B} + C\bar{D}$
- (c) AD + BC
- (d) $\overline{BD} + BD$
- **52.** A perturbation $V_{pert} = a L^2$ is added to the Hydrogen atom potential. The shift in the energy level of the 2P state, when the effects of spin are neglected up to second order in a, is
 - (a) 0

- (b) $2a\hbar^2 + a^2\hbar^4$
- (c) $2a\hbar^2$
- (d) $a\hbar^2 + \frac{3}{2}a^2\hbar^4$
- **53.** A gas laser cavity has been designed to operate at $\lambda = 0.5 \mu m$ with a eavity length of 1 m. With this set-up, the frequency is found to be larger than the desired frequency by 100 Hz. The change in the effective length of the cavity required to retune the laser is
 - (a) -0.334×10^{-12} m
 - (b) 0.334×10^{-12} m
 - (c) 0.167×10^{-12} m
 - (d) -0.167×10^{-12} m
- **54.** The spectroscopic symbol for the ground state of ${}_{13}$ Al is ${}^{2}P_{1/2}$. Under the action of a strong magnetic field (when L-S coupling can be neglected) the ground state energy level will split into
 - (a) 3 levels
- (b) 4 levels
- (c) 5 levels
- (d) 6 levels
- **55.** A uniform linear monoatomic chain is modeled by a spring-mass system of masses *m* separated by nearest neighbor distance *a* and spring constant $m\omega_0^2$. The dispersion relation for this system is

(a)
$$\omega(k) = 2\omega_0 \left(1 - \cos\left(\frac{ka}{2}\right)\right)$$

(b)
$$\omega(k) = 2\omega_0 \sin^2\left(\frac{ka}{2}\right)$$

(c) $\omega(k) = 2\omega_0 \sin\left(\frac{ka}{2}\right)$
(d) $\omega(k) = 2\omega_0 \tan\left(\frac{ka}{2}\right)$

(c)
$$\omega(k) = 2\omega_0 \sin\left(\frac{ka}{2}\right)$$

(d)
$$\omega(k) = 2\omega_0 \tan\left(\frac{ka}{2}\right)$$

❖ ANSWER KEY

1-с	2-b	3-a	4-d	5-d
6-d	7-d	8-a	9-b	10-b
11-a	12-b	13-d	14-b	15-c
16-c	17-d	18-c	19-a	20-с
21-b	22-b	23-с	24-d	25-c
26-с	27-с	28-a	29-a	30-d
31-b	32-d	33-a	34-d	35-c
36-a	37-b	38-d	39-с	40-d
41-b	42-a	43-d	44-b	45-d
46-a	47-a	48-c	49-d	50-a
51-d	52-c	53-d	54-d	55-c

